

# P37 A UNIFORM REPRESENTATION FOR TRAJECTORY LEARNING TASKS



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## 1. Introduction

Motivation : Get Spatial Trajectories Under Control

<p>Low sampling rate suffers from:</p> <ul style="list-style-type: none"> <li>➤ Various Speeds</li> <li>➤ Uneven Distribution</li> <li>➤ Far from the actual distance for most popular trajectory distance measures</li> </ul>	<p>Moderate sampling rate suffers from:</p> <ul style="list-style-type: none"> <li>➤ Various Speeds</li> <li>➤ Uneven Distribution</li> <li>➤ Inaccurate distance for most popular trajectory distance measures</li> </ul>	<p>High sampling rate suffers from:</p> <ul style="list-style-type: none"> <li>➤ High battery consumption</li> <li>➤ High computational cost</li> <li>➤ Uneven Distribution</li> </ul>
<p>SIT Representation provides:</p> <ul style="list-style-type: none"> <li>➤ High accuracy</li> <li>➤ High quality input data for spatial trajectory algorithms</li> <li>➤ Low battery consumption</li> <li>➤ Low computational cost</li> </ul>	<p>Step Invariant Trajectory (SIT)</p>	<p>SIT Representation handles:</p> <ul style="list-style-type: none"> <li>➤ Low sampling rate</li> <li>➤ High sampling rate</li> <li>➤ Various Speeds</li> <li>➤ Various Sampling rates</li> </ul>

## 2. Methodology

### 2.1 Notations

- A **Spatial Trajectory**  $T = \{P_0, P_1, \dots, P_m\}$ , where  $P_i = (x_i, y_i)$  is the the position of the sample point.
- A **Step Invariant Trajectory (SIT)**  $\hat{T}$  is a uniform representation of the trajectory  $T$ , where
 
$$\hat{T} = \{P_0, P_0^{(1)}, \dots, P_0^{(k_0)}, P_1', P_1^{(2)}, \dots, P_1^{(k_1)}, \dots, P_m^{(k_m)}\}$$
- with a constant step distance  $r$  for all pairs of consecutive points.
- A **Subtrajectory**  $C^{[s,e]}$  is a subsequence of a step invariant trajectory  $\hat{T}$ .

### 2.2 Translating to SIT Representation:

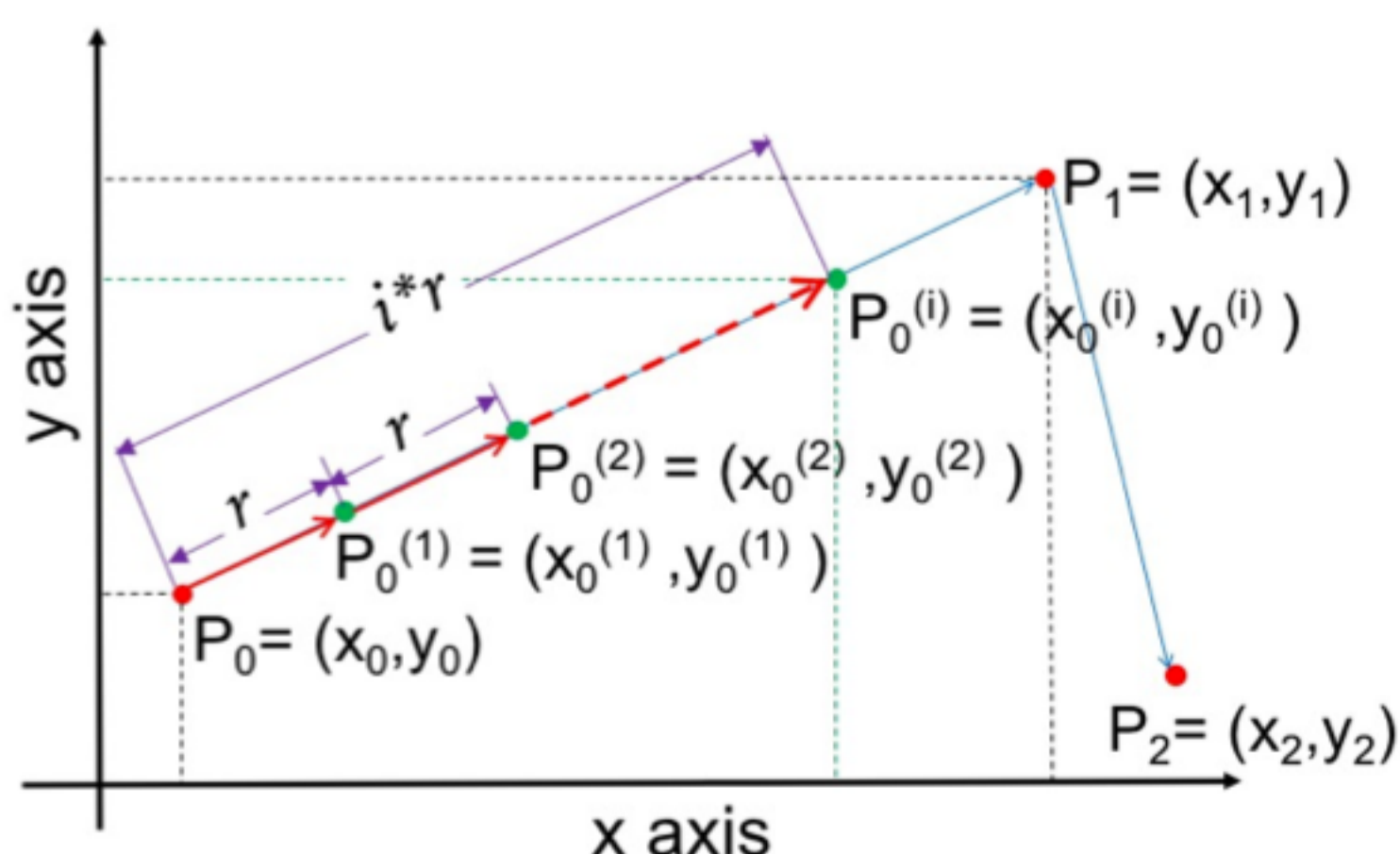


Figure (a) Linear Interpolation

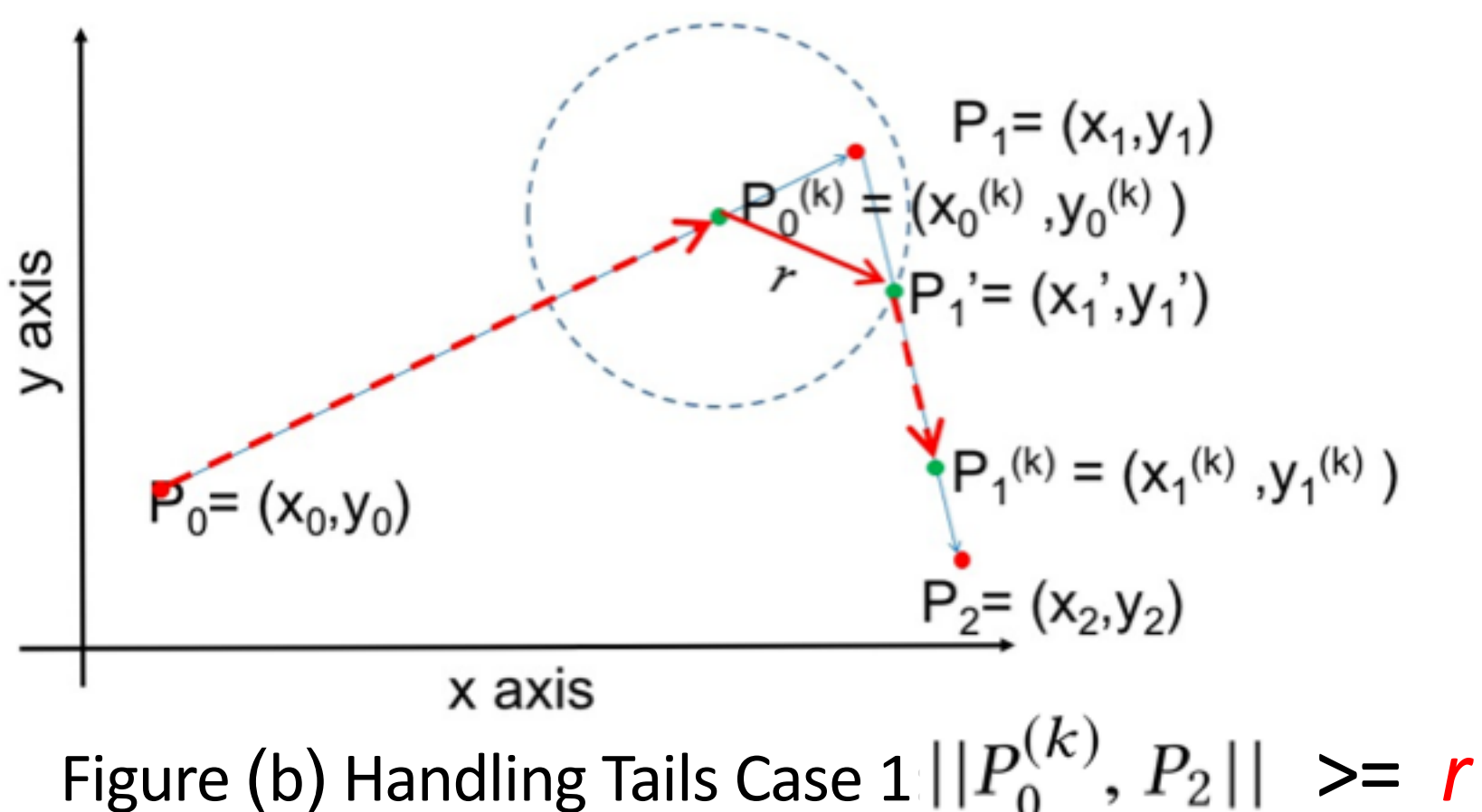


Figure (b) Handling Tails Case 1  $\|P_0^{(k)}, P_2\| \geq r$

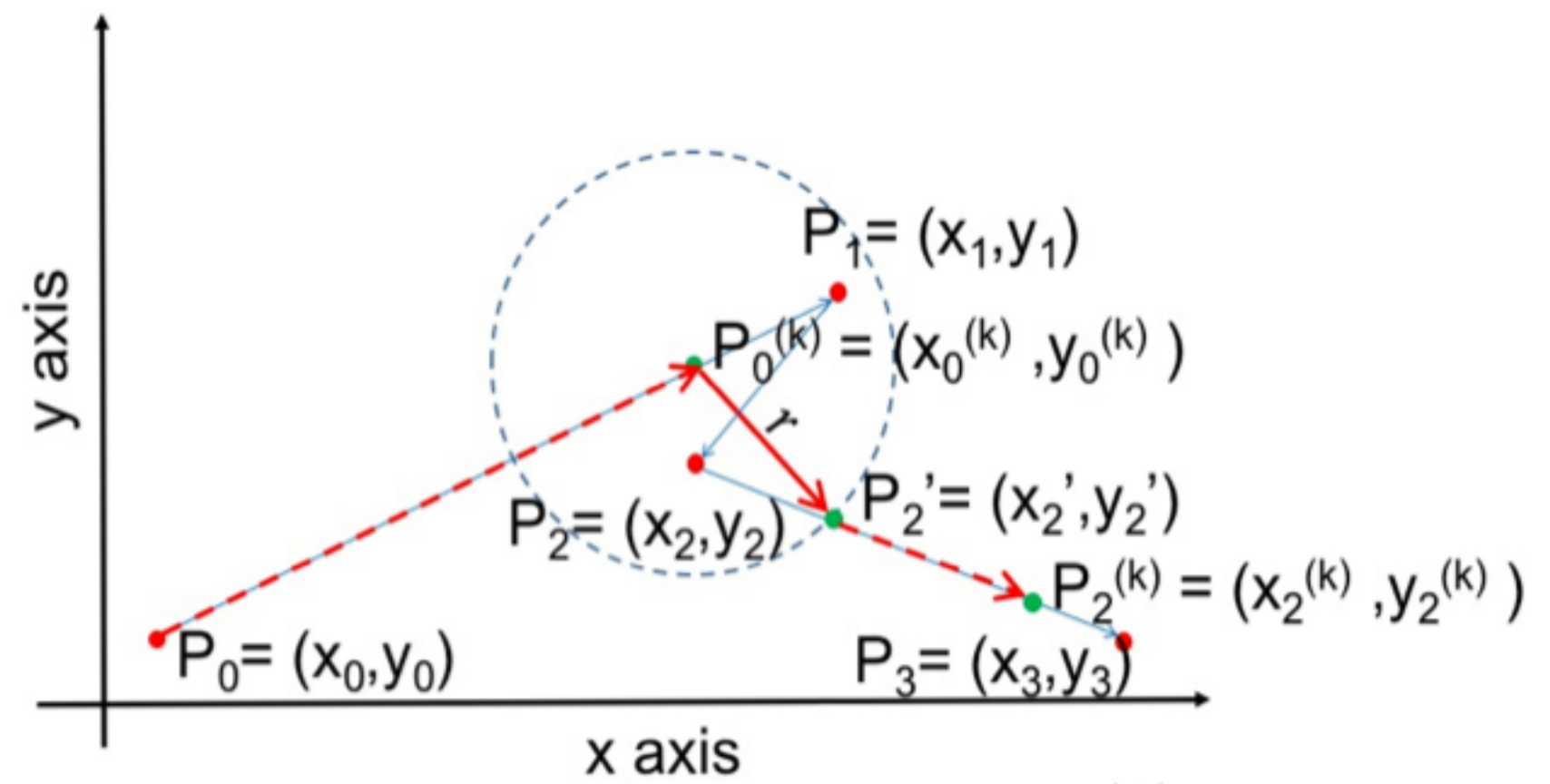


Figure (c) Handling Tails Case 1:  $\|P_0^{(k)}, P_2\| < r$

### 2.3 Distance Measure for SIT Representation

- Best Match Euclidean Distance (BMED) by using a sliding window to handle two SITs with different lengths

$$BMED(\hat{T}_1, \hat{T}_2) = \frac{\min(EuDist(\hat{T}_1, C_2^{[s,e]}))}{\sqrt{m}}$$

## 3. Experiments

Table 3: Translation Time

Representation	CROSS	Speed Up	VMT	Speed Up
AMKS (20 iterations)	286s	91.96	262s	192.64
Tube-Droplet	268s	86.17	184s	135.29
Our SIT ( $r = 3$ )	<b>3.11s</b>	1	<b>1.36s</b>	1

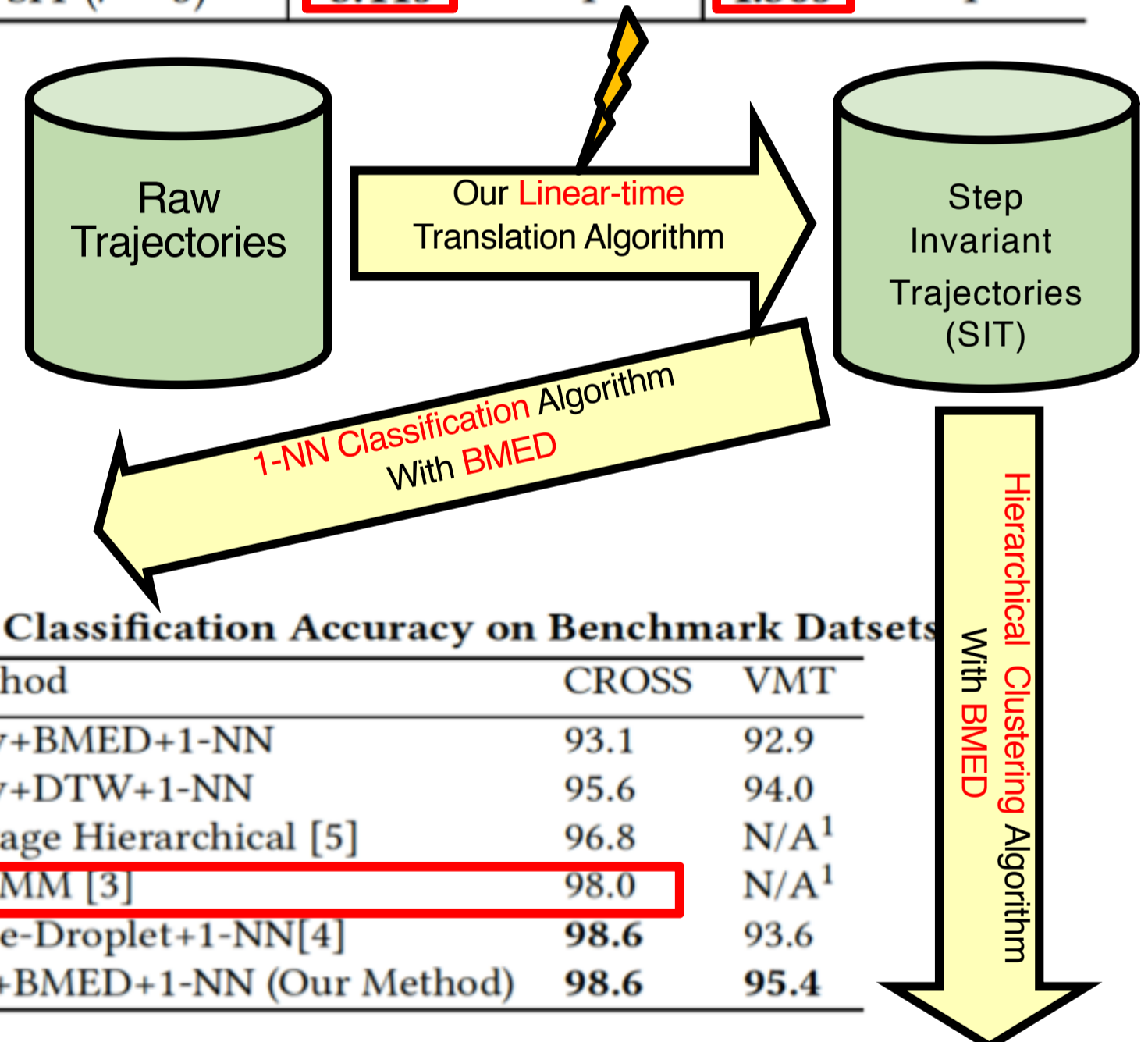
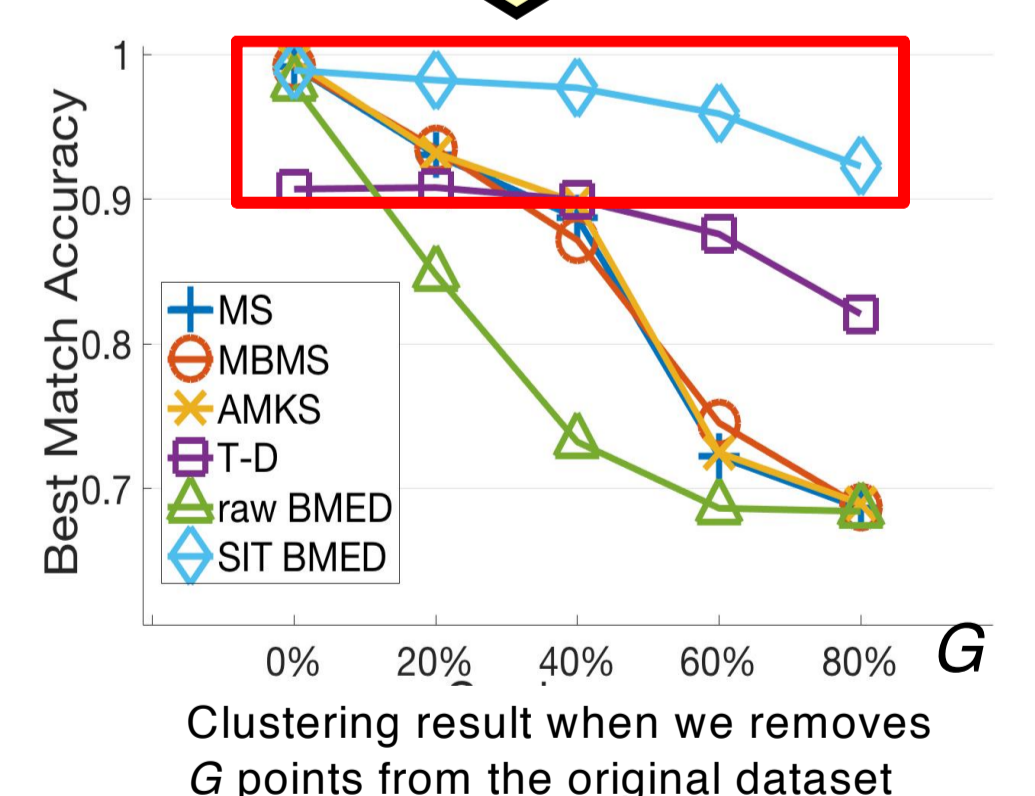
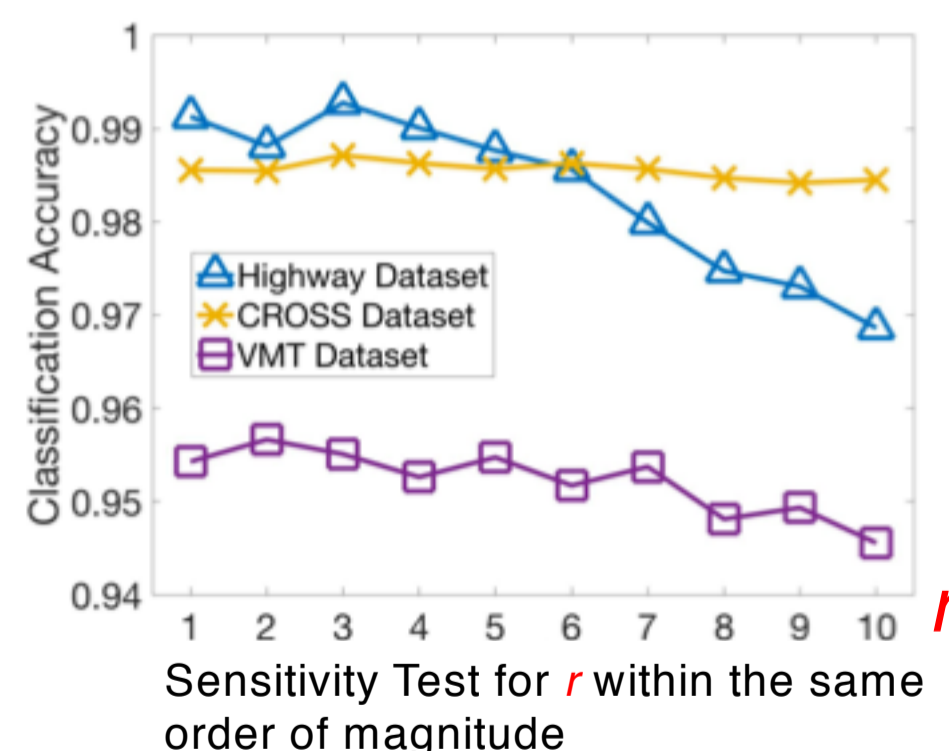


Table 2: Classification Accuracy on Benchmark Datasets

Method	CROSS	VMT
Raw+BMED+1-NN	93.1	92.9
Raw+DTW+1-NN	95.6	94.0
3-Stage Hierarchical [5]	96.8	N/A <sup>1</sup>
<b>iDPMM [3]</b>	<b>98.0</b>	N/A <sup>1</sup>
Tube-Droplet+1-NN[4]	<b>98.6</b>	93.6
SIT+BMED+1-NN (Our Method)	<b>98.6</b>	<b>95.4</b>



## 4. Conclusion

- Effective way to measure trajectory distances
- Low computational cost
- Linear translation time
- Friendly preprocessing step for other spatial trajectory methods
- Improving the performance of other spatial trajectory methods

